# QCAA PHYSICS EXTERNAL ASSESSMENT 2022 

## ALTERNATIVE SEQUENCE

## Worked solutions and explanations to Alternative Sequence Paper 1 Multiple choice

- from Dr Richard Walding, author New Century Physics for Queensland (OUP)

Note: I have included worked solutions and explanations to the multiple choice questions to other QCAA Physics EA papers on my website at seniorphysics.com/ncpq. See the bottom of that page for links. Email: waldingr49@gmail.com

| Option | Solutions and explanations (validity statements and distractor justification) |
| :--- | :--- |
| $\mathbf{1}$ | Electromotive force is...etc |
| A | Incorrect. This is the definition of electromagnetic induction and not electromagnetic <br> force. See Syllabus Glossary page 73 and NCPQ p215. |
| *B | Correct. See Syllabus Glossary page 73 and NCPQ p 215. |
| C | Incorrect. This is the definition for electrostatic repulsion. See Glossary page 73: the <br> repulsion experienced by two like charged particles. See also NCPQ p 155. |
| D | Incorrect. Electromotive force (EMF) is not one of the four fundamental forces, which <br> are strong nuclear force, electromagnetic force, weak nuclear force, and gravitational <br> force. EMF is generated by the dynamic interaction (relative motion) of a conductor <br> with a magnetic field. This interaction is mediated by the electromagnetic force (a <br> fundamental force) which produces the EMF (also known as 'voltage'). See Glossary <br> page 73 and NCPQ p 358. |
|  | A photon is described as... etc <br> $\mathbf{2}$ |
| A | Incorrect. This refers to electromagnetic radiation. See Glossary: electromagnetic <br> radiation - electromagnetic waves, propagated at the speed of light in a vacuum |
| B | Incorrect. Photons do not require a medium for their propagation. See NCPQ U3\&4 p302 |
| *C | Correct. Glossary p 86 and NCPQ p315 and 316. |
| D | Incorrect. This refers to a gluon. See Glossary in NCPQ page 415. |
| 3 | The energy available for electrical charges...etc |
| *A | Correct. Potential difference is the change in potential energy per unit (l coulomb) <br> charge between two defined points in a circuit. Note: the syllabus definition is under the <br> heading for 'electrical potential difference' page 73. In NCPQ U1\&2 I have called it just <br> 'potential difference' and said it is the change in potential energy per unit charge between <br> two defined points in an electric field. This is a more general definition. |
| B | Incorrect. This is neither correct nor a syllabus term. Capacitance is a measure of the <br> ability to store electric charge anyway. You do not have to know about this for the EA. |
| C | Incorrect. Resistance is the ratio of the voltage applied to the electric current that flows <br> through it. |
| D | Incorrect. Current is the rate of movement of electric charge carriers from one part of a <br> conductor to another. |
|  |  |


| 4 | One kilogram of an unknown substance is heated...etc |
| :---: | :---: |
| A | Incorrect. Out by a factor of 100 somewhere |
| B | Incorrect. Forgot to convert minutes to seconds. |
| C | Incorrect. Possibly misread the graph and used a time of 5 minutes. |
| *D | Correct. Total energy used is $1000 \mathrm{~W}(1000 \mathrm{~J} / \mathrm{s})$ for 8 minutes $(8 \times 60 \mathrm{~s})$ $P=\frac{W}{t}$ $\begin{aligned} & W=P t=1000 \times(38-30) \times 60=4.8 \times 10^{5} \mathrm{~J} \\ & W=Q(\text { energy })=m L_{v} \\ & L_{v}=\frac{W}{m}=\frac{4.8 \times 10^{5} \mathrm{~J}}{1 \mathrm{~kg}}=5 \times 10^{5} \mathrm{~J}(1 \mathrm{sf}) \end{aligned}$ |
| 5 | Which option accurately depicts the reflection...etc |
| A | Incorrect. Angle of incidence $\neq$ angle of reflection. |
| *B |  |
| C | Incorrect: $\angle i$ |
| D | Incorrect: $\angle i \neq \angle r$ |


| 6 | After coherent light has been passed through a double slit...etc |
| :---: | :---: |
| *A | Correct. It is an interaction between waves caused by constructive and destructive interference. This phenomenon can only occur with waves. Note that 'coherent' is not defined in the syllabus but is in NCPQ p 301. It is essential to understand its meaning. |
| B | Incorrect. The width of the slits will affect the pattern but not the phenomena of interference and the banding. See NCPQ p 301. |
| C | Incorrect. 'Discrete packets of photons' is a characteristic of the particle model of light. Hence, it cannot explain the interference (a wave phenomenon). NCPQ p 310. |
| D | Incorrect. The distance will affect the spacing in the pattern but not the phenomena of interference and the banding. Further reading see NCPQ U1\&2, p 362. |
| 7 | Which change would produce the greatest increase in magnetic ...etc] |
| A | Incorrect. Decreasing the thickness would increase the resistance and allow a smaller current to flow. The equation $B=\mu_{0} \frac{N}{L} I$ says that B is proportional to current, so decrease I and you will decrease B. See NCPQ p 193. |
| B | Incorrect. Increasing the length of the solenoid will decrease the magnetic field strength as shown by the equation: $B=\mu_{0} \frac{N}{L} I$ which says that $B$ is inversely proportional to length, so increase $L$ and you will decrease $B$. |
| * C | Correct. The formula $B=\mu_{0} \frac{N}{L} I$ shows that B is directly proportional to $N$ so increase $N$ and you will increase $B$. |
| D | Incorrect. Alternating current passes through a $V=0$ during each cycle so this will reduce the average $B$ value in a cycle. |
| 8 | Determine the wavelength of an electromagnetic wave...etc |
| A | Incorrect. Used an incorrect formula. Used $E=\frac{\lambda}{c}$ as follows: $\lambda=E \times c=2.4 \times 10^{-23} \times 3 \times 10^{8}=7.2 \times 10^{-15} \mathrm{~m}$ |
| B | Incorrect. Used an incorrect formula. Used $E=\frac{h}{\lambda}$ as follows: $\lambda=\frac{h}{E}=\frac{6.625 \times 10^{-34}}{2.4 \times 10^{-23}}=2.76 \times 10^{-11} \mathrm{~m}$ |
| * C | Correct. The question, in other words, is asking you to determine the wavelength of a photon with an energy of $2.4 \times 10^{-23} \mathrm{~J}$. This correct option uses the correct formula: $\begin{gathered} E=h f=\frac{h \lambda}{c} \\ \lambda=\frac{h c}{E}=\frac{6.625 \times 10^{-34} \times 3 \times 10^{8}}{2.4 \times 10^{-23}}=8.3 \times 10^{-3} \mathrm{~m} \end{gathered}$ <br> See QCAA Formula and Data Book, and NCPQ p 310. See also, Worked Example 11.4A p 312. |
| D | Incorrect. Has formula upside down. Rearranges $E=\frac{h c}{\lambda}$ to $\lambda=\frac{E}{h c}=1.2 \times 10^{2} \mathrm{~m}$ |
|  |  |


| 9 | An experiment was conducted to determine the resistance...etc |
| :---: | :---: |
| A | Incorrect. Calculated gradient which is the reciprocal of the resistance. $\text { Gradient }=\frac{I}{V}=\frac{(6-0) \times 10^{-3}}{12-0}=5 \times 10^{-4}$ |
| B | Incorrect. Calculated gradient but didn't take reciprocal. Also left current in mA instead of A. $\text { Gradient }=\frac{I}{V}=\frac{(6-0)}{12-0}=5 \times 10^{-1}$ |
| C | Incorrect. Didn't convert current from mA to A . $\begin{aligned} & \text { Gradient }=\frac{I}{V}=\frac{(6-0)}{12-0}=0.5 \\ & R=\frac{V}{I}=\frac{1}{\text { gradient }}=\frac{1}{0.5}=2 \times 10^{0} \Omega \end{aligned}$ |
| *D | Correct. $\begin{aligned} & \text { Gradient }=\frac{I}{V}=\frac{(6-0) \times 10^{-3}}{12-0}=5 \times 10^{-4} \\ & R=\frac{V}{I}=\frac{1}{\text { gradient }}=\frac{1}{5 \times 10^{-2}}=2 \times 10^{3} \Omega \end{aligned}$ |
| 10 | Electric field strength refers to the...etc |
| *A | Correct. See definition in Glossary page 73, NCPQ p 164. |
| B | Incorrect. This is about change in potential energy $\Delta U$, and not electric field strength. |
| C | Incorrect. This is about the rate of flow of electric charge - which is current: $I=\frac{Q}{t}$. See NCPQ U1\&2, p 211. |
| D | Incorrect. This option is about the force on a charged particle in an electric or magnetic field. It is not the physical property of the particle. Thus, this option is not about the property of the electric field but about forces acting due to the field. Note: the term 'electromagnetic field' does not appear in the syllabus, nor is it defined in the Glossary. This should make you wary. An electromagnetic field can be viewed as the combination of an electric field and a magnetic field. The electric field is produced by stationary charges, and the magnetic field by moving charges (electric currents); these two are often described as the sources of the field. See NCPQ p231. |
| 11 | The maximum kinetic energy of an electron ejected...etc |
| A | Incorrect. This will decrease $E_{\mathrm{K}(\max )}$ as the electrons will have to overcome the electrostatic force of attraction to the positively charged metal. |
| B | Incorrect. Using the formula $E_{K}=h f-W$, we see that a larger W means less energy is left over for the electron to gain as $E_{\mathrm{K}}$. See Formula Book, and NCPQ p 316. |
| C | Incorrect. An increase in intensity will increase the number of photoelectrons emitted but will not increase their $E_{K(\max )}$. Note: this is a key part of the particle (photon) model for light, and one that distinguishes it from the wave model. Learn this. See NCPQ p 314. |
| *D | Correct. A decrease in wavelength of the light (photons) means an increase in the frequency and thus higher energy of these incident photons ( $E=h f$ ). Some of this energy is used in overcoming $W$ but there will be a greater amount left for $E_{\mathrm{K}}$ of the photoelectrons. |
|  |  |


| 12 | A lightbulb produces 360 J of light energy and 1580 J...etc |
| :---: | :---: |
| A | Incorrect. Calculated ratio of outputs. $\frac{1580}{360}=4$ |
| B | Incorrect. Calculate ratio of total input over light output. $=\frac{1920}{360}=5$ |
| * C | Correct. $\begin{aligned} \eta & =\frac{W_{\text {out }}}{W_{\text {in }}} \times 100 \% \\ & =\frac{360}{360+1580} \times 100 \% \\ & =19 \% \end{aligned}$ |
| D | Incorrect. Used the 1580 J of heat out as total heat in. $\frac{360}{1580} \times 100=23 \%$ |
| 13 | A rectangular coil of 3000 turns and dimensions...etc |
| A | Incorrect. May have omitted the area: $t=\frac{N \times \Delta B}{E M F}=\frac{3000 \times 2 \times 10^{-3}}{6}=1 \mathrm{~s}$, thus 1 rps . |
| B | Incorrect. May have miscalculated the area: $\begin{aligned} & \Delta t=-\frac{3000 \times\left(2 \times 10^{-3}\right) \times(0.1+0.2)}{6}=0.33 \mathrm{~s} \\ & \mathrm{f}=\frac{1}{T}=\frac{1}{0.33}=3 \mathrm{rps} \end{aligned}$ |
| *C | Correct. The magnetic flux threading the rotating coil would be zero when the plane of the coil is parallel to the field, and a maximum when the plane is at right angles $\left(90^{\circ}\right)$ to the field. The change in flux for $90^{\circ}(1 / 4$ turn ) rotation can be used in Faraday's equation: $\begin{aligned} & e m f=-\frac{n \Delta\left(B A_{\perp}\right)}{\Delta t} \\ & \Delta t=-\frac{n \Delta(B A)}{e m f} \\ & \Delta t=-\frac{n \times \Delta B \times A}{e m f} \\ & =-\frac{3000 \times\left(0-2 \times 10^{-3}\right) \times(0.1 \times 0.2)}{6} \\ & =0.02 \mathrm{~s}(\text { for } 1 / 4 \mathrm{turn}) \\ & =0.02 \times 4=0.08(\text { for } 1 \text { turn }) \\ & f=\frac{1}{T}=\frac{1}{0.08}=12.5 \mathrm{rps} \approx 13 \mathrm{rps}(C) \end{aligned}$ <br> Note: see NCPQ p 201, Figure 15, and Question 8 CYL 8.2 p 219. See also the EMF diagram in Q18 p 238. <br> Alternatively: Using Faraday's other two equations. <br> Consider a loop rotating one-quarter of a turn: |



| 16 | The graph shows the temperature of an insulated vessel |
| :---: | :---: |
| A | Incorrect. Calculated gradient as $8.3 \times 10^{-2}$ and selected option with 8.3 in it. $\text { gradient }=\frac{(50-30)}{(6-2) \times 60}=8.3 \times 10^{-2}$ |
| *B | Correct. $\begin{aligned} P & =\frac{W}{t} \\ W & =P \times t(=Q) \\ Q & =m c \Delta T \\ P \times t & =m c \Delta T \\ \text { gradient } & =\frac{\Delta T}{t}=\frac{P}{m c} \\ P & =\text { gradient } \times m c \\ & \left.=\frac{(50-30)}{(6-2) \times 60} \times 5 \times 4180 \text { [Note: time is in seconds }\right] \\ & =0.0833 \times 5 \times 4180 \\ & =1741 \\ & =1.7 \times 10^{3} \mathrm{~W} \end{aligned}$ |
| C | Incorrect. Forgot to convert minutes to seconds. $\begin{aligned} P & =\text { gradient } \times m c \\ & =\frac{(50-30)}{(6-2)} \times 5 \times 4180 \\ & =5 \times 5 \times 4180 \\ & =1.0 \times 10^{5} \mathrm{~W} \end{aligned}$ |
| D | Incorrect. Possibly calculated gradient upside down and chose option with closest value. $\begin{aligned} \text { gradient } & =\frac{(6-2) \times 60}{(50-30)}=0.12[\mathrm{wrong}] \\ P & =\text { gradient } \times m c \\ & =0.12 \times 5 \times 4180=2.5 \times 10^{5} \mathrm{~W} \end{aligned}$ |
| 17 | Three kilograms of ice at $0{ }^{\circ} \mathrm{C}$ is added to an |
| *A | $\begin{aligned} \left\|Q_{L}\right\| & =\left\|Q_{G}\right\| \\ Q_{\text {water cooling }} & =Q_{\text {ice melting }}+Q_{\text {cold water warming }} \end{aligned}$ <br> A negative sign on the left is needed when there is a $\left(T_{f}-T_{i}\right)$ involved for energy loss: $\begin{aligned} -m_{w} c_{w}\left(T_{f}-T_{i}\right) & =m L_{f}+m_{w} c_{w}\left(T_{f}-T_{i}\right) \\ -20 \times 4180 \times\left(T_{f}-25\right) & =3 \times 3.34 \times 10^{5}+3 \times 4180 \times\left(T_{f}-0\right) \\ -83600 T_{f}+2090000 & =1.00 \times 10^{6}+12540 T_{f} \\ -96140 T_{f} & =-1090000 \\ & =11.3^{\circ} \mathrm{C} \end{aligned}$ |
| B | Incorrect. Omitted the final temperature of the cold water warming on the right. |


|  | $\begin{aligned} \left\|Q_{L}\right\| & =\left\|Q_{G}\right\| \\ Q_{\text {water cooling }} & =Q_{\text {ice melting }}+Q_{\text {a }} \\ -m_{w} c_{w}\left(T_{f}-T_{i}\right) & =m L_{f}+m_{w} c_{w}\left(T_{f}-T_{t}\right) \\ -20 \times 4180 \times\left(T_{f}-25\right) & =3 \times 3.34 \times 10^{5}+3 \times 4180 \times\left(T_{f}-0\right) \\ -83600 T_{f}+2090000 & =1.00 \times 10^{6}+12540 T_{f} \\ -83600 T_{f} & =-1090000 \\ & =13.0^{\circ} \mathrm{C} \end{aligned}$ |
| :---: | :---: |
| C | Incorrect. Two mistakes: neglected the negative sign on the left; and omitted the initial temperature of the water. $\begin{aligned} &\left\|Q_{L}\right\|=\left\|Q_{G}\right\| \\ & Q_{\text {water cooling }}=Q_{\text {ice melting }}+Q_{\text {cold water warming }} \\ &+m_{w} c_{w}\left(T_{f}-T_{t}\right)=m L_{f}+m_{w} c_{w}\left(T_{f}-T_{i}\right) \\ &+20 \times 4180 \times\left(T_{f}-25\right)=3 \times 3.34 \times 10^{5}+3 \times 4180 \times\left(T_{f}-0\right) \\ &+83600 T_{f}=1.00 \times 10^{6}+12540 T_{f} \\ &+71060 T_{f}=1.00 \times 10^{6} \\ &=14.0^{\circ} \mathrm{C} \end{aligned}$ |
| D | Incorrect. Neglected the negative sign on the left. Assumed value was positive (+). Ignored negative sign at end. $\begin{aligned} \left\|Q_{L}\right\| & =\left\|Q_{G}\right\| \\ Q_{\text {water cooling }} & =Q_{\text {ice melting }}+Q_{\text {cold water warming }} \\ +m_{w} c_{w}\left(T_{f}-T_{i}\right) & =m L_{f}+m_{w} c_{w}\left(T_{f}-T_{i}\right) \\ +20 \times 4180 \times\left(T_{f}-25\right) & =3 \times 3.34 \times 10^{5}+3 \times 4180 \times\left(T_{f}-0\right) \\ +83600 T_{f}+2090000 & =1.00 \times 10^{6}+12540 T_{f} \\ +71060 T_{f} & =-1090000 \\ & =(-) 15.4^{\circ} \mathrm{C} \end{aligned}$ |
| 18 | The primary and secondary coils ...etc |
| A | Incorrect. It is lossless which means the power in the secondary equals the power in the primary. Note: lossless is not a syllabus term and is not in the Glossary. However, it is logically interpreted. See NCPQ p 228. |
| *B | Correct. Current in the secondary is decreased. See NCPQ p 228. $\begin{aligned} I_{p} V_{p} & =I_{s} V_{s} \\ \frac{V_{p}}{V_{s}} & =\frac{I_{s}}{I_{p}}=\frac{n_{p}}{n_{s}}=\frac{4}{6} \\ I_{s} & =I_{p} \times \frac{4}{6} \\ \therefore I_{s} & <I_{p} \end{aligned}$ |


| C | Incorrect. $V_{\mathrm{S}}$ will be increased and not decreased. $\begin{aligned} & \frac{V_{p}}{V_{s}}=\frac{n_{p}}{n_{s}} \\ & \frac{V_{p}}{V_{s}}=\frac{4}{6} \\ & V_{s}=V_{p} \times \frac{6}{4} \\ & \therefore V_{s}>V_{p} \end{aligned}$ |
| :---: | :---: |
| D | Incorrect. There are more turns in the secondary, hence a longer length of wire, and thus the resistance would be increased in the secondary. |
| 19 | A current-carrying wire is placed perpendicular...etc |
| A | Incorrect. The gradient $\mathrm{F} / \mathrm{I}$ is not related to potential difference. The gradient is constant, and the potential difference would need to increase during the experiment to increase the current (x-axis). Thus, gradient is constant, but the potential difference $(\mathrm{V}$ ) must be increasing. |
| B | Incorrect. The gradient $\mathrm{F} / I$ is not related to $E M F$. The gradient is constant, and the $E M F$ would need to increase during the experiment to increase the current (x-axis). Thus, the gradient is constant, but the EMF must be increasing. |
| C | Incorrect. Rearranging the equation $F=B I L \sin \theta$ to $\mathrm{F} / \mathrm{I}=B L \sin \theta$, if the angle is $90^{\circ}$ we can say the gradient $F / I=B L$. If $B$ was held constant, then $F / I \propto L$. However, resistance $R$ $\propto 1 / L$, thus $F / I \propto 1 / R$. The gradient is not proportional to resistance, but inversely proportional to resistance. |
| *D | Correct. Gradient $=F / I$. Rearranging the equation $F=B I L \sin \theta$ to $F / I=B L \sin \theta$, if the angle is $90^{\circ}$ and the length is held constant we can say: $F / I \propto B$ (the magnetic field strength). |
| 20 | An 8.0 V battery is used to power a circuit...etc |
| A | Incorrect. Omitted to square voltage. $\mathrm{P}=\frac{V^{2}}{R}=\frac{8.0}{6.0}=1.3 \Omega$ |
| *B | Correct. $\begin{aligned} R_{t} & =R_{1}+R_{2} \\ & =2.4+3.6=6.0 \Omega \\ P & =V I=\frac{V^{2}}{R} \\ & =\frac{8^{2}}{6} \\ & =11 \mathrm{~W} \end{aligned}$ <br> Alternatively, calculate the current: $\begin{aligned} I & =\frac{V}{R}=\frac{8.0}{6.0}=1.33 \mathrm{~A} \\ P & =V I=8.0 \times 1.33=11 \mathrm{~W} \end{aligned}$ |
| C | Incorrect. Used the average value for resistance. $R_{a v}=\frac{2.4+3.6}{2}=3 \Omega$ |


|  | $\mathrm{P}=\frac{V^{2}}{R}=\frac{8.0^{2}}{3}=18 \mathrm{~W}$ |
| :---: | :---: |
| D | Incorrect. Used $\mathrm{P}=\mathrm{VR}$ $P=V R=8.0 \times 6.0=48 \mathrm{~W}$ <br> Note: another common mistake is to use the resistors in parallel formula. $\begin{aligned} & \frac{1}{R_{t}}=\frac{1}{R_{1}}+\frac{1}{R_{2}}+\cdots \frac{1}{R_{n}} \\ & \frac{1}{R_{t}}=\frac{1}{2.4}+\frac{1}{3.6} \\ & R_{t}=1.44 \Omega \\ & \mathrm{P}=\frac{V^{2}}{R}=\frac{8.0^{2}}{1.4}=44 \mathrm{~W} \end{aligned}$ |

